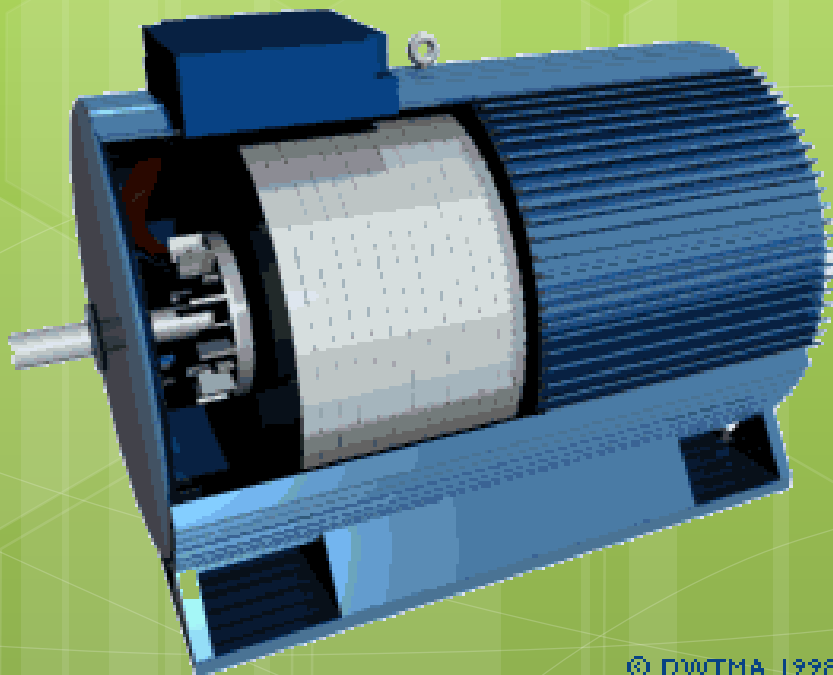




© DWTMA 1998



Electrical Machine Design – I (170902)

www.vishaldevdhar.org

Vishal D Devdhar
Lecturer

Electrical Engineering
Department
Government Polytechnic,
Rajkot

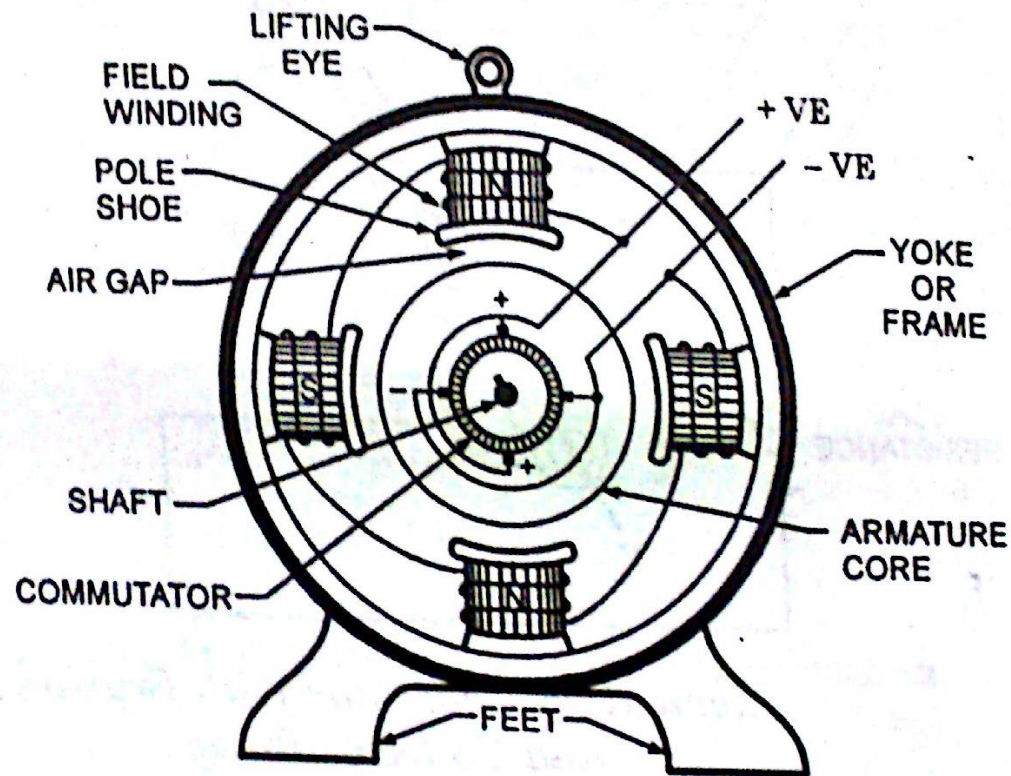
DC Machine Construction

- **Field System**
 - Yoke/ Frame
 - Pole Core
 - Pole Shoes
 - Magnetizing Coils
- **Armature**
- **Commutator**
- **Brushes**
- **Bearings**
- **Shaft**

DC Machine Construction

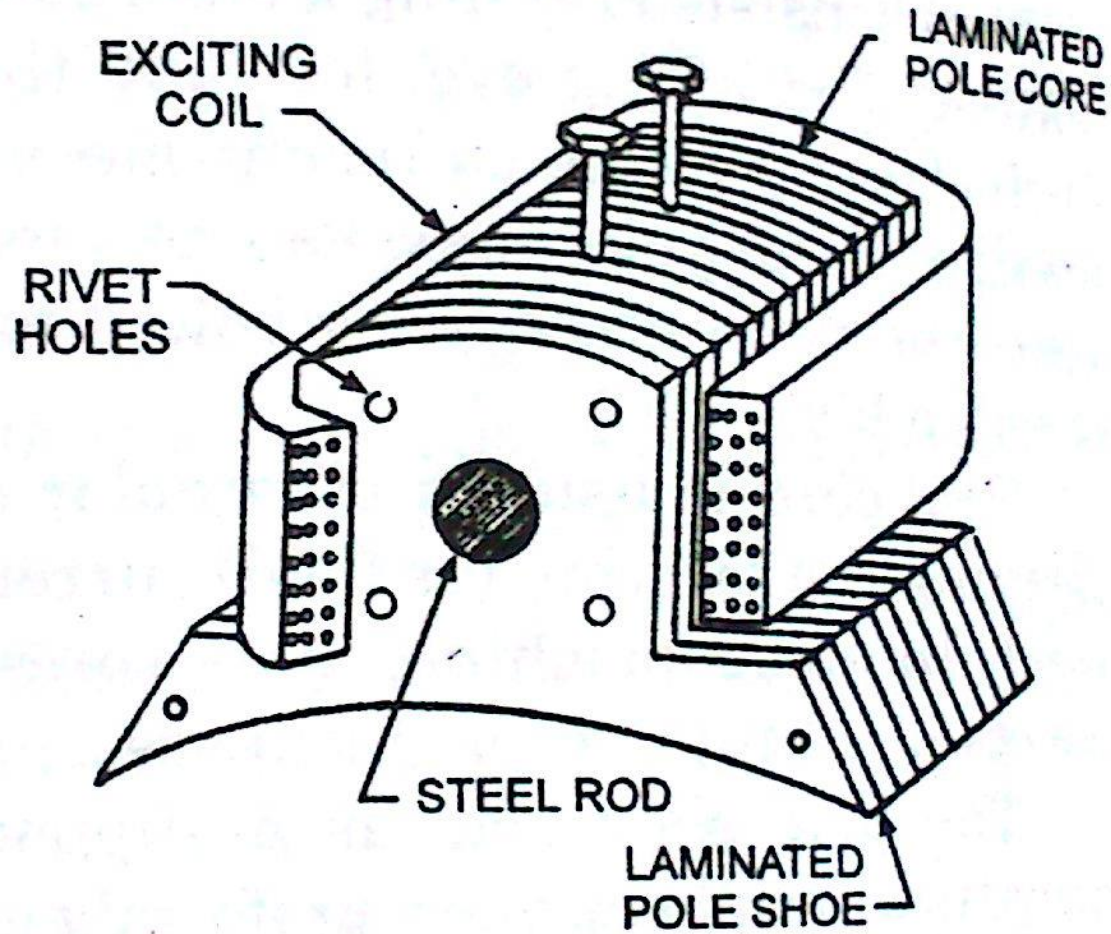
- **Armature**
- **Commutator**
- **Brushes**
- **Bearings**
- **Shaft**

Yoke / Frame



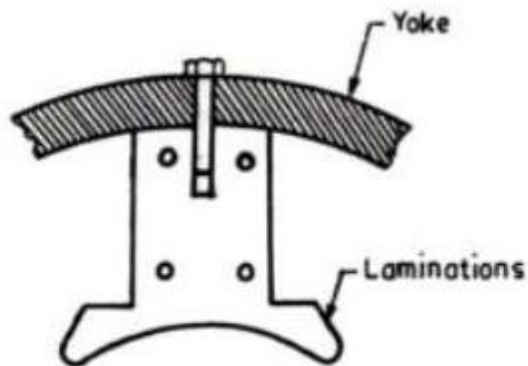
4-Pole DC Machine

Pole Core, Pole Shoes, Magnetizing Coils



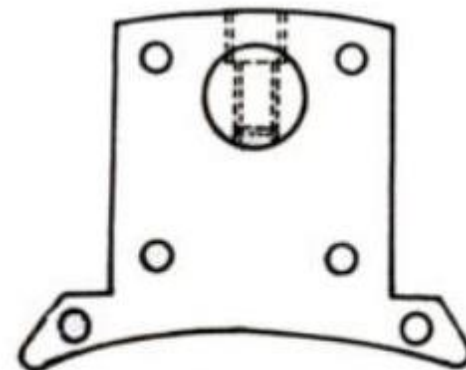
Laminated Pole Core and Pole Shoe

Pole Core, Pole Shoes, Magnetizing Coils



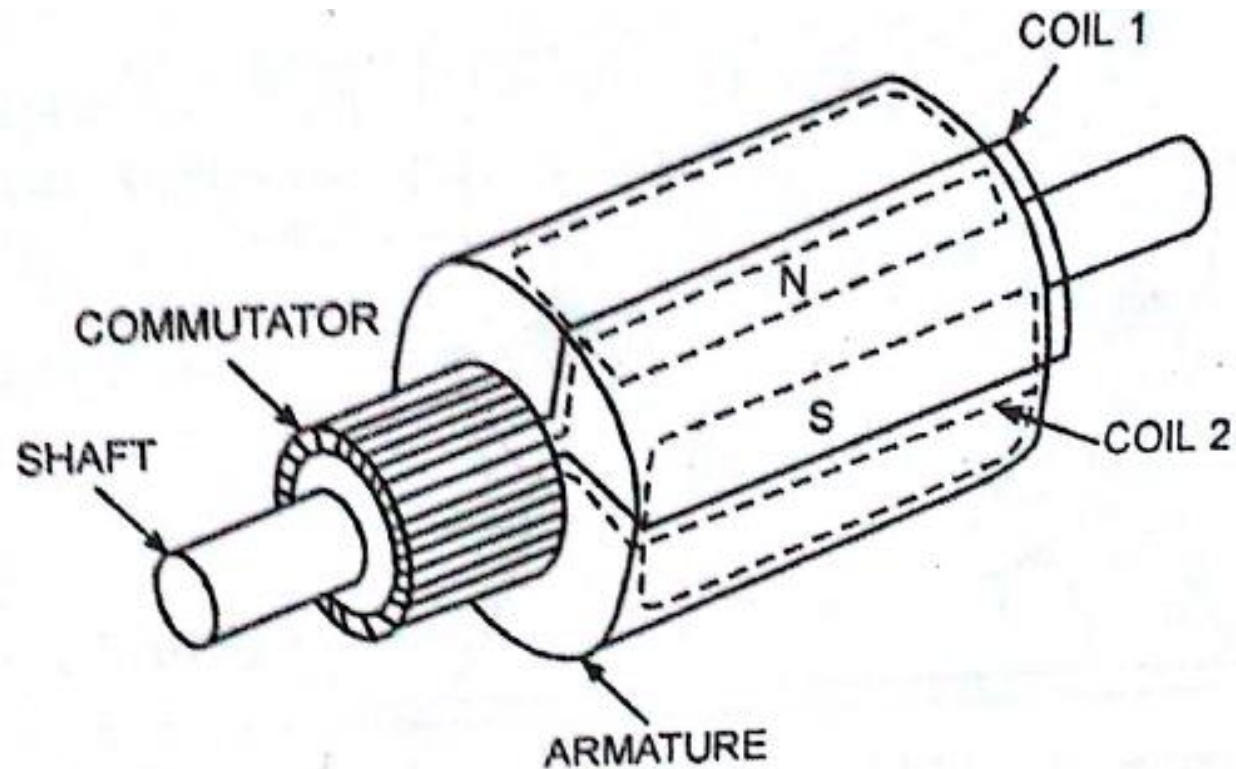
for small machines

Fixing pole to the yoke.



for large machines

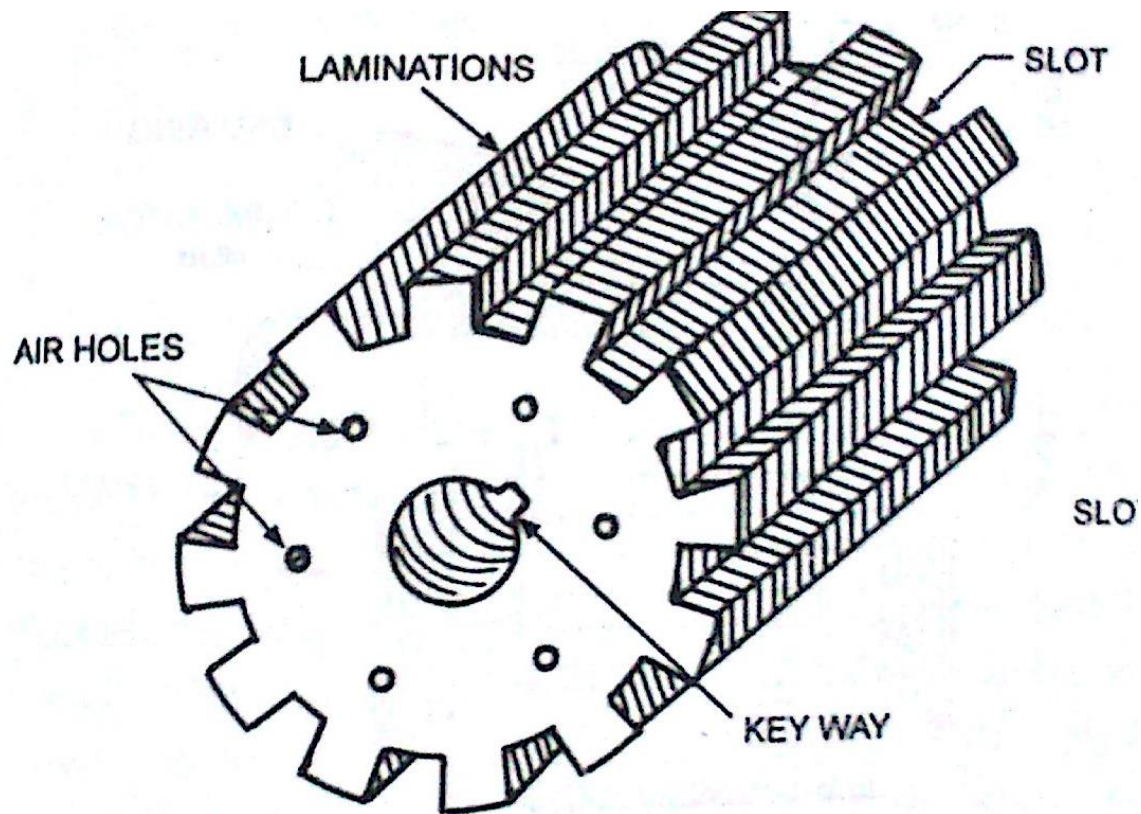
Armature



(a) Longitudinal View of Armature

Armature

Armature Lamination

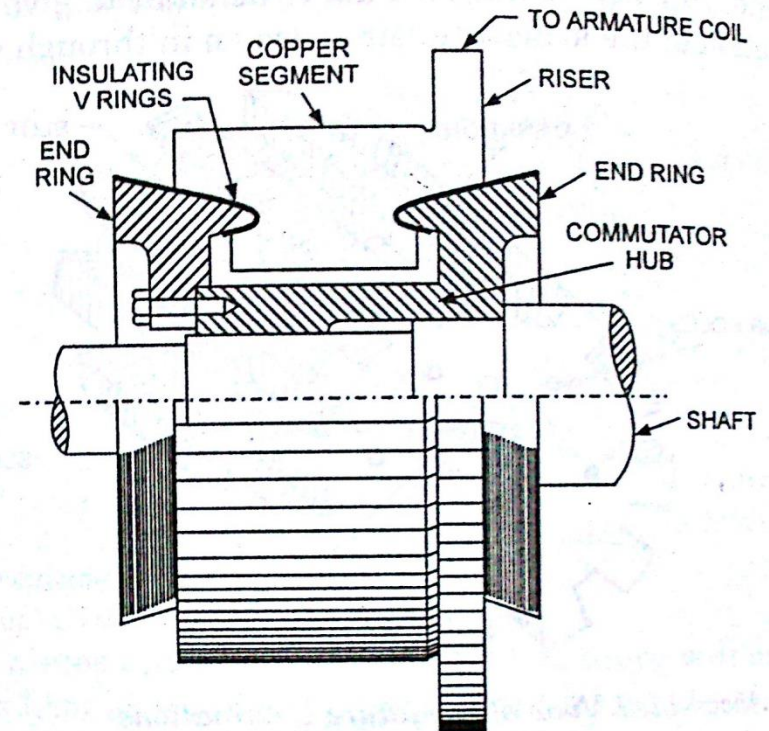
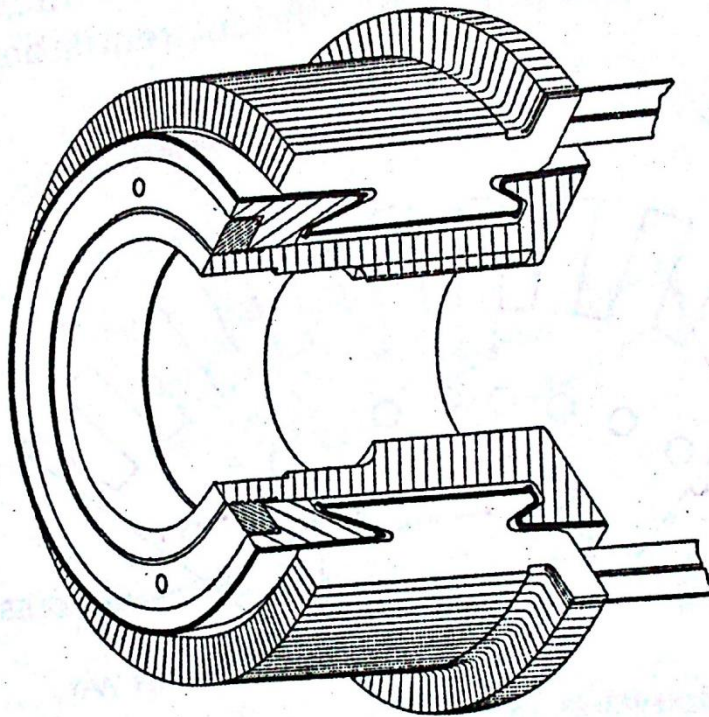


Assembled View of Armature Laminations

Armature

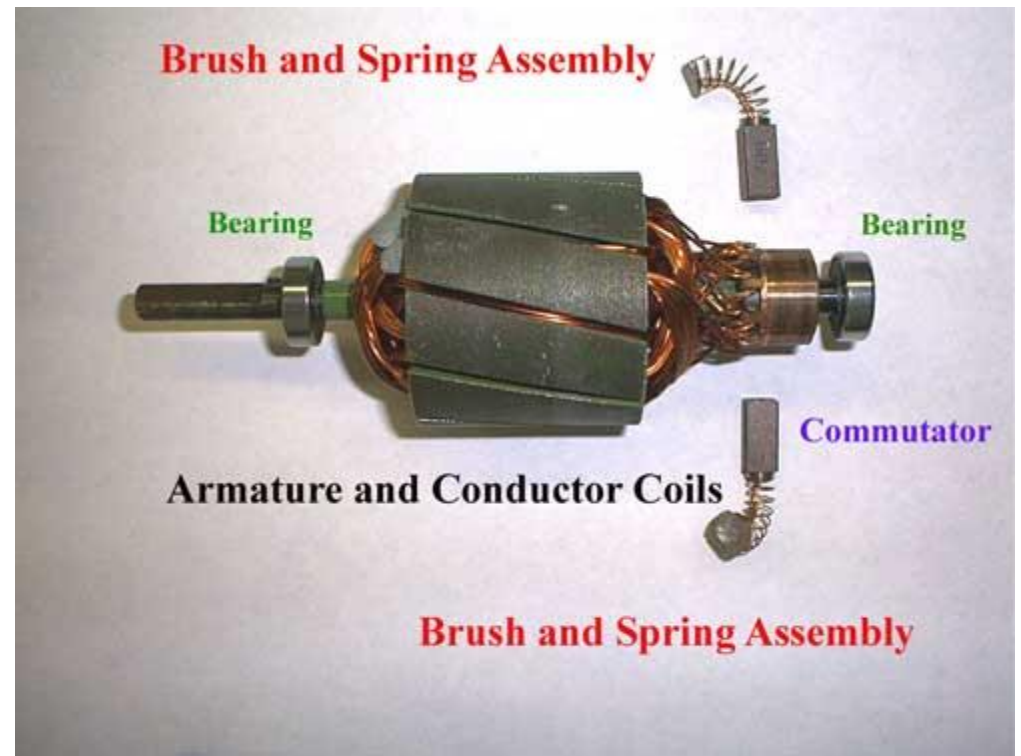
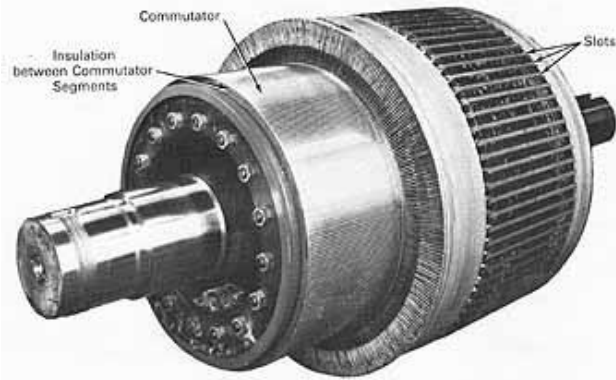


Commutator

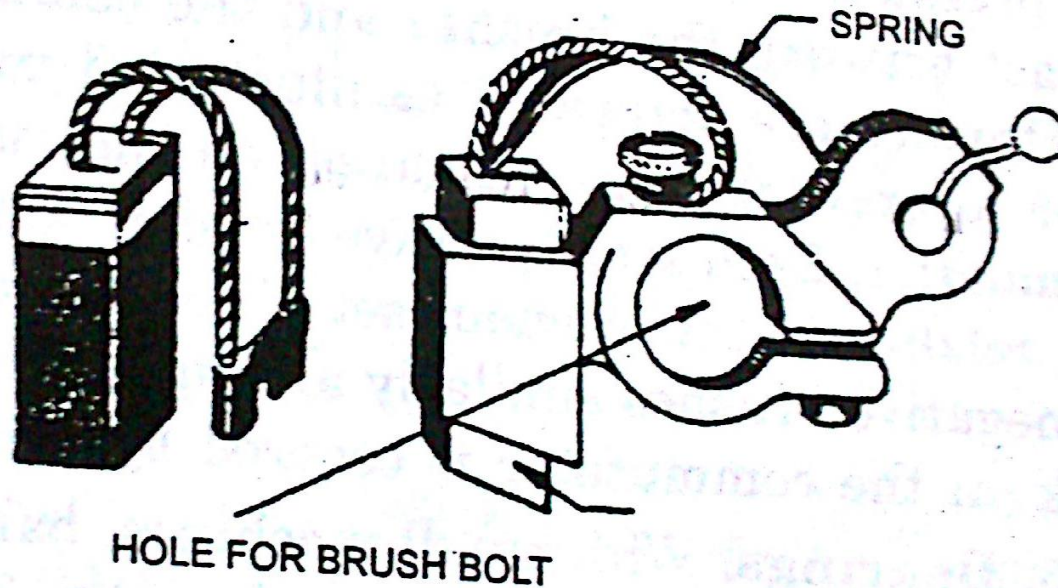
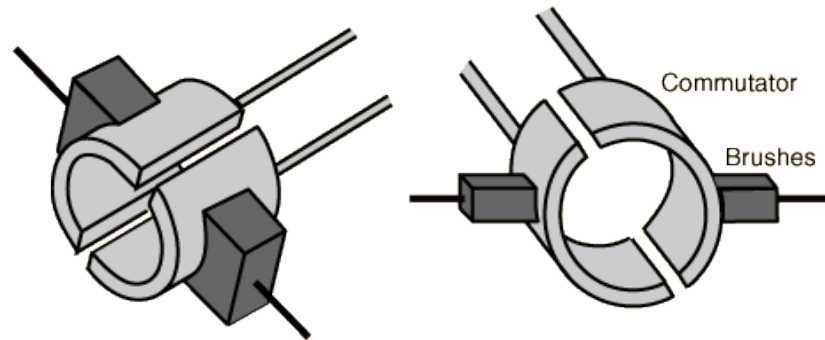


(b) Section View of Commutator Segments

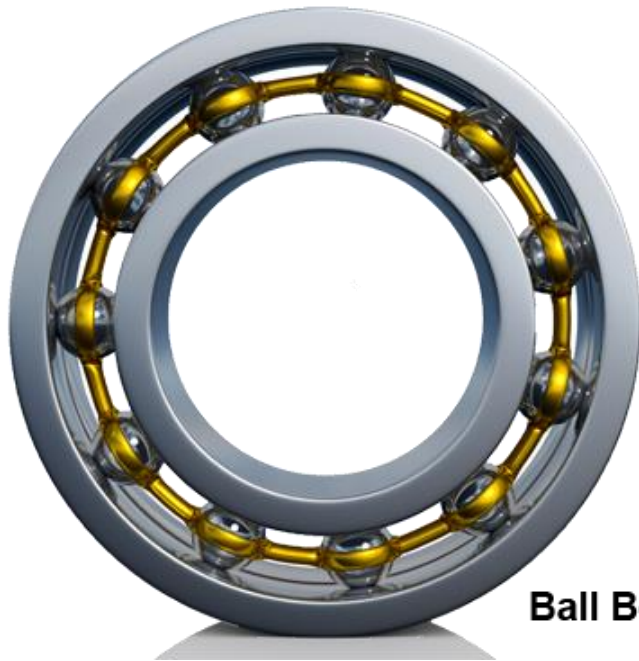
Armature & Commutator



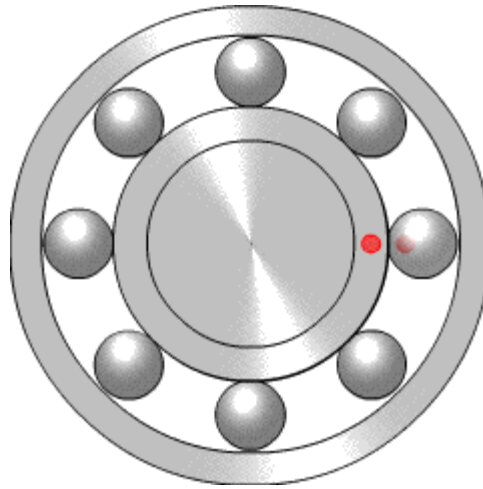
Brushes



Bearings

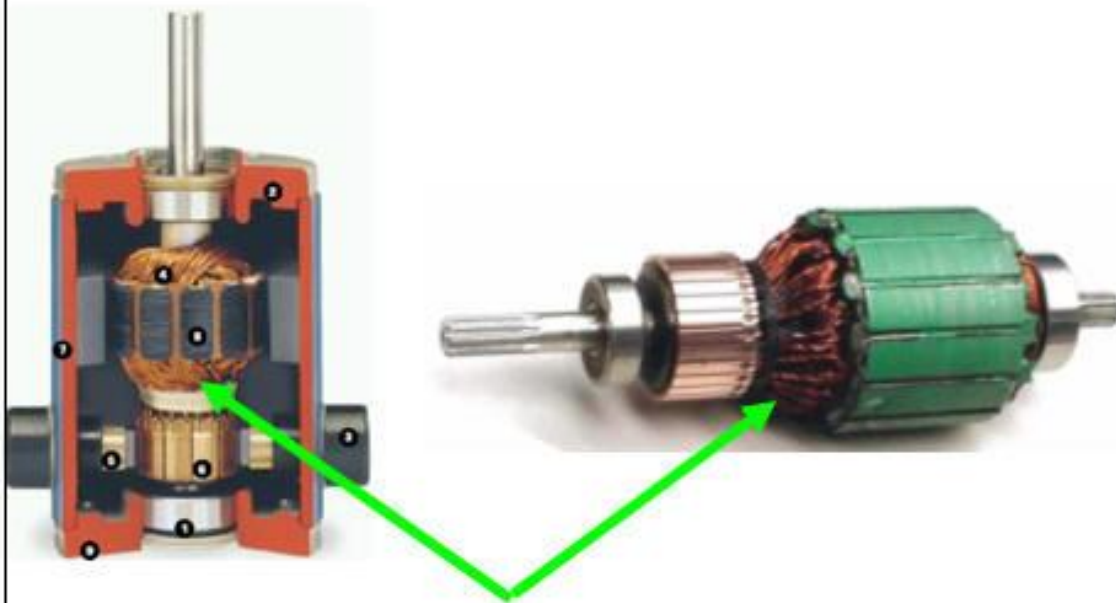


Ball Bearing



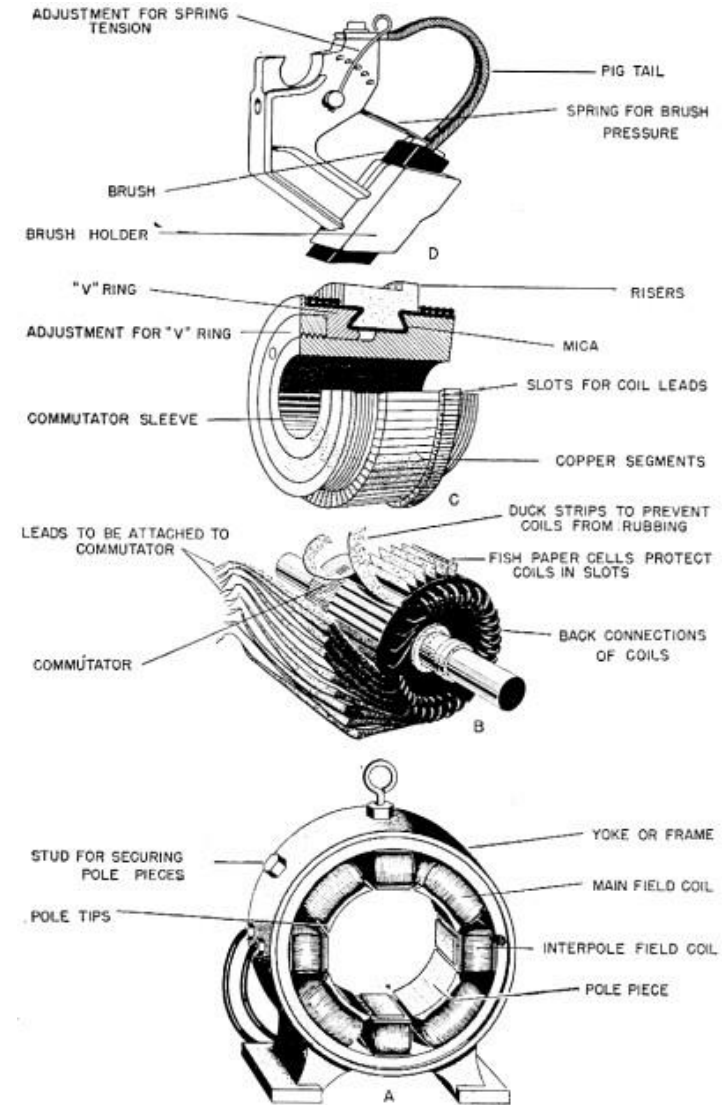
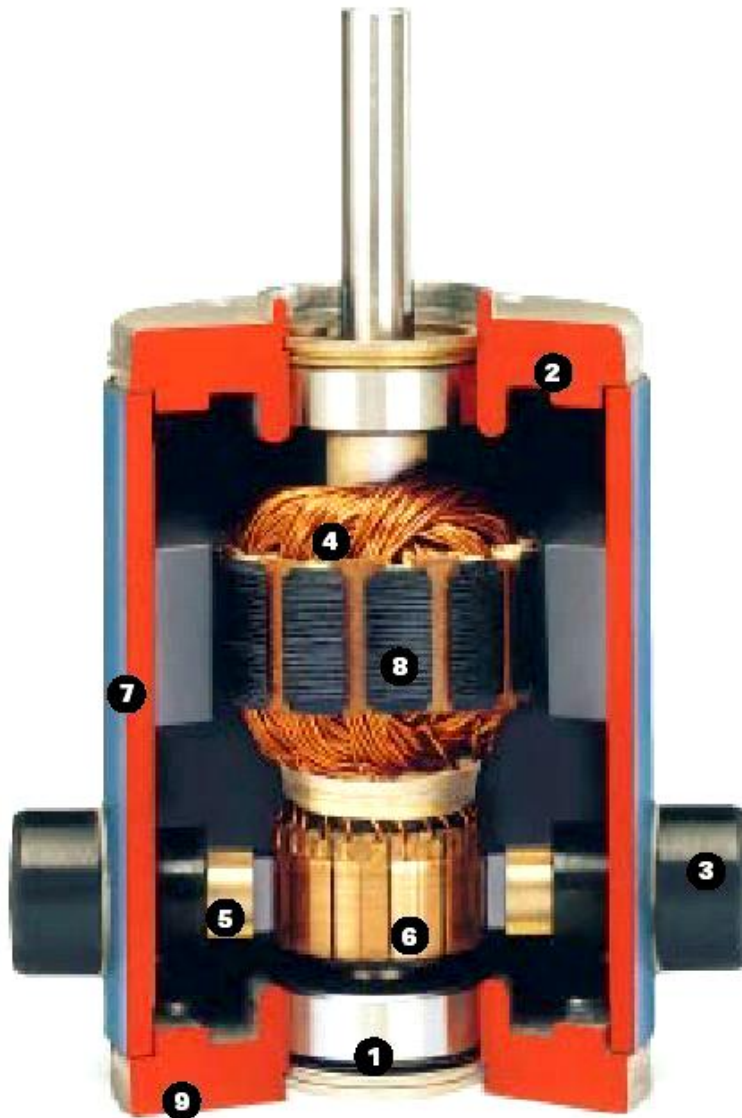
Shaft

The Armature of a DC Permanent Magnet Motor



Magnet Field Windings Act as Heaters

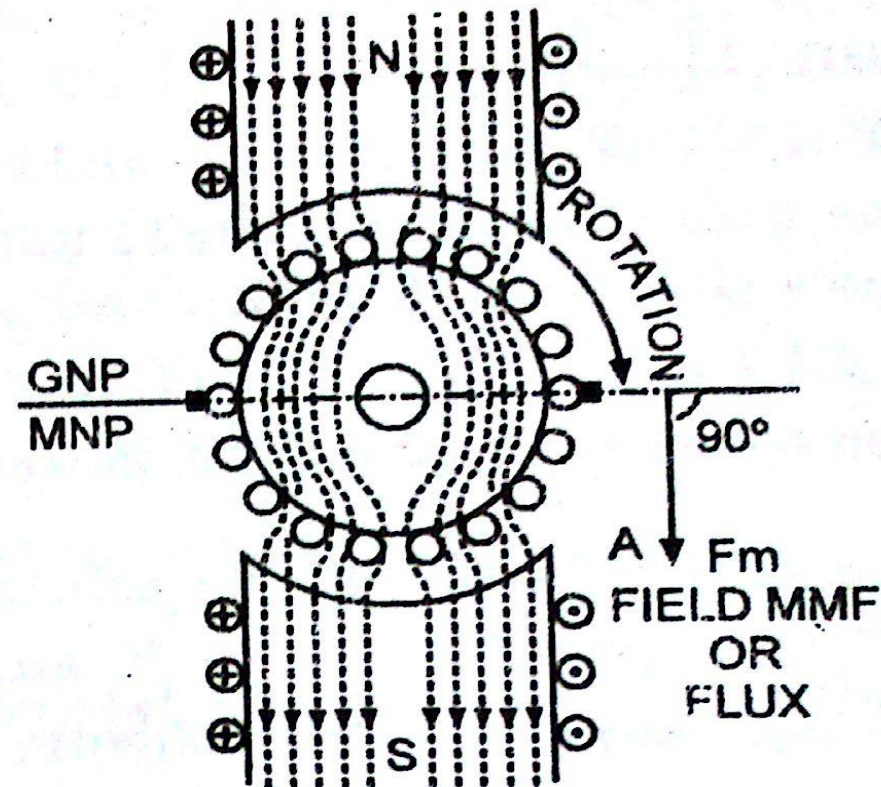
Copyright @2008 pedalpowergenerator.com



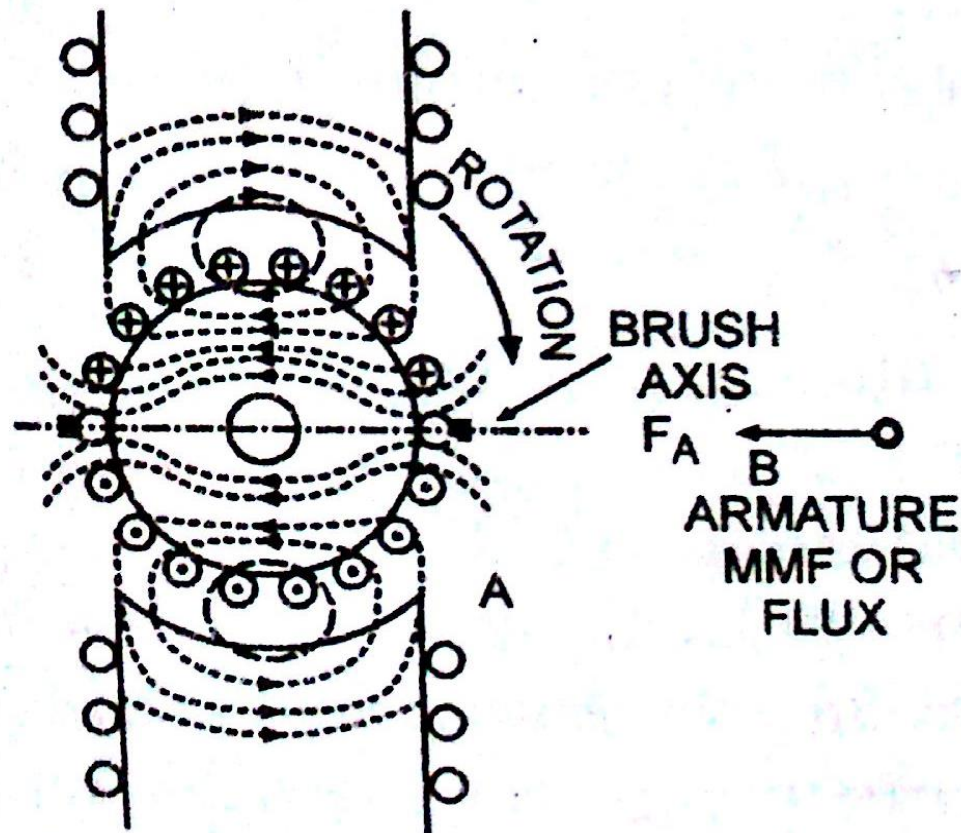
Armature Reaction

DC Machine: Armature Reaction

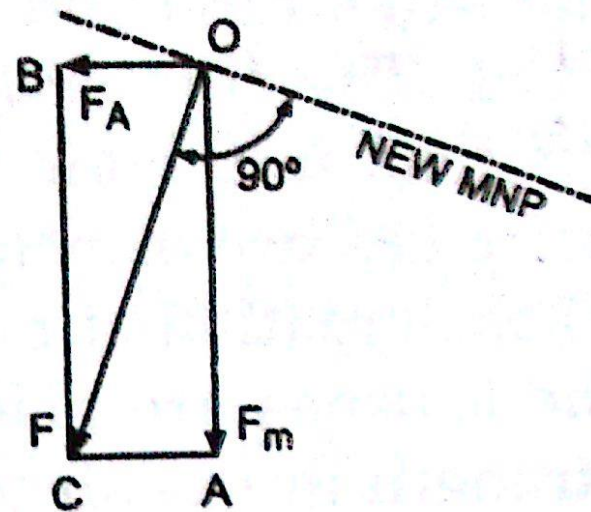
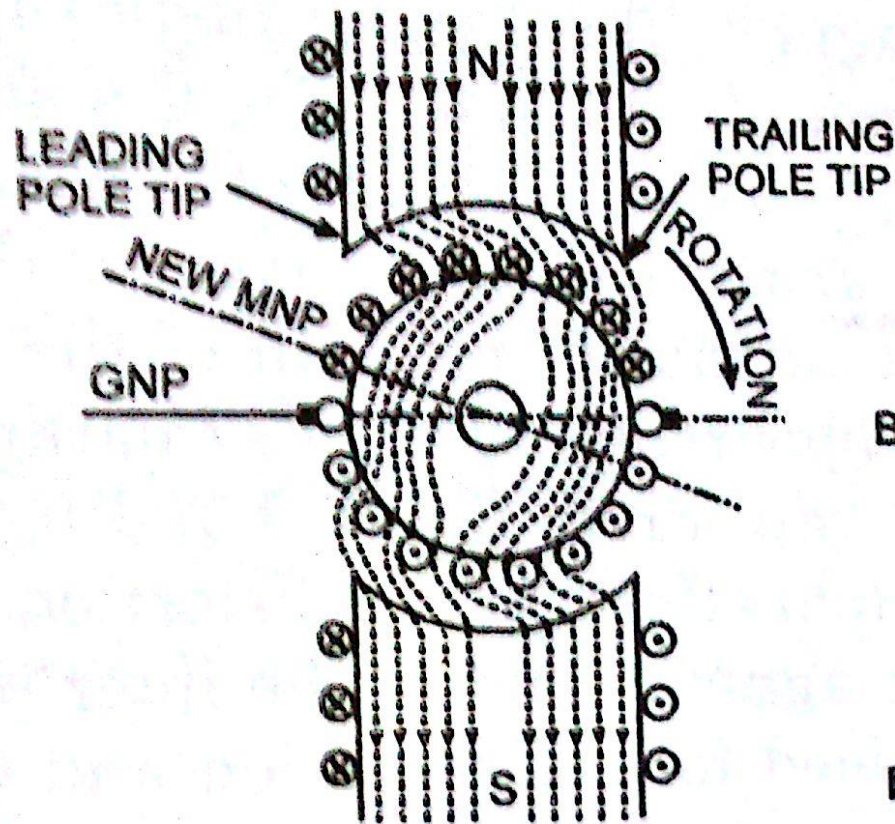
The effect of magnetic field set up by the armature current on the distribution of flux under the main poles of a DC machine is known as Armature Reaction



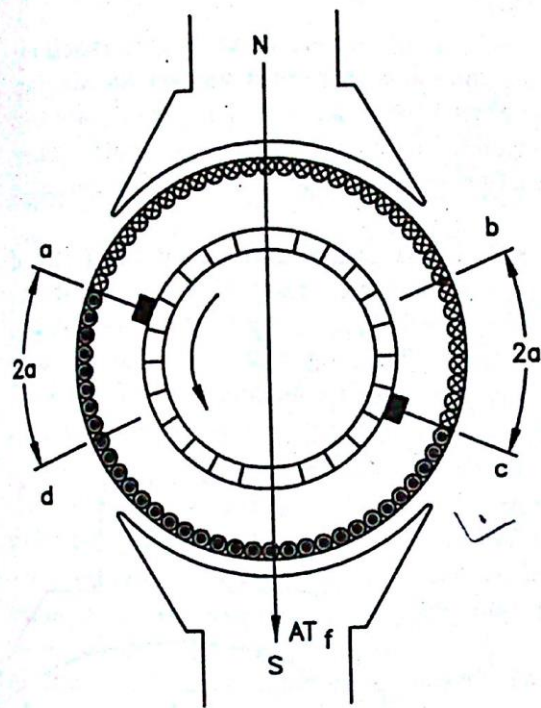
*Distribution of Flux Due To Main Poles
When Generator is Supplying No Load*



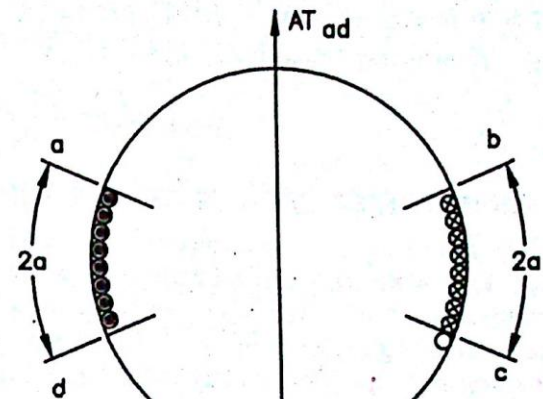
*Distribution of Flux Due To Armature
Current Carrying Conductors While Field
Coils Carrying No Current*



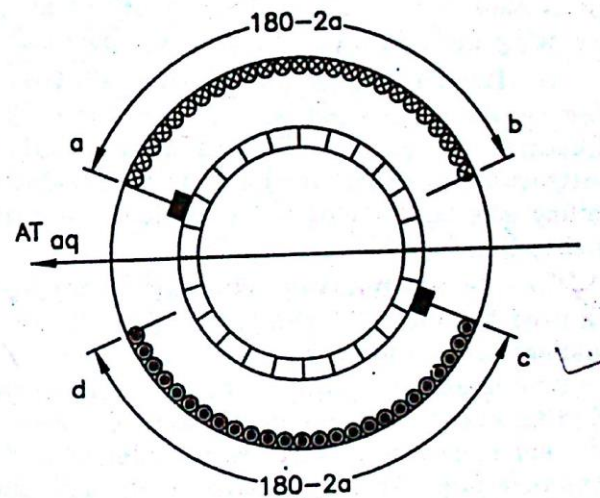
*Distribution of Resultant Flux Established From
Simultaneous Action of Field and Armature Current*



(a)



(b)



(c)

Fig. 9.31. Distribution of armature current with brush shift.

Demagnetizing MMF/Pole

$$\begin{aligned} AT_{ad} &= AT_a \times \frac{2\alpha}{180} \\ &= \left(\frac{I_a}{a} \right) \left(\frac{Z}{2p} \right) \left(\frac{2\alpha}{180} \right) \\ &= \frac{I_a Z}{ap} \left(\frac{\alpha}{180} \right) \end{aligned}$$

Cross-magnetizing MMF/Pole

$$\begin{aligned} AT_{aq} &= AT_a - AT_{ad} \\ &= AT_a \left(1 - \frac{2\alpha}{180} \right) \\ &= \frac{I_a Z}{2ap} \left(1 - \frac{2\alpha}{180} \right) \end{aligned}$$

Effects of Armature Reaction

- **Reduction in total flux**
 - **Decrease in generated EMF: Generator**
 - **Decrease in Torque: Motor**
- **More Iron Losses at Full load than No load**
- **Commutation**
 - **Sparking**
 - **Delayed Commutation**

Reduction of Effects of Armature Reaction

- **Increase in length of Airgap at pole tips**
- **Increasing in reluctance of pole tips**
- **Interpoles**
- **Compensating Windings**

Increase in length of Airgap at pole tips

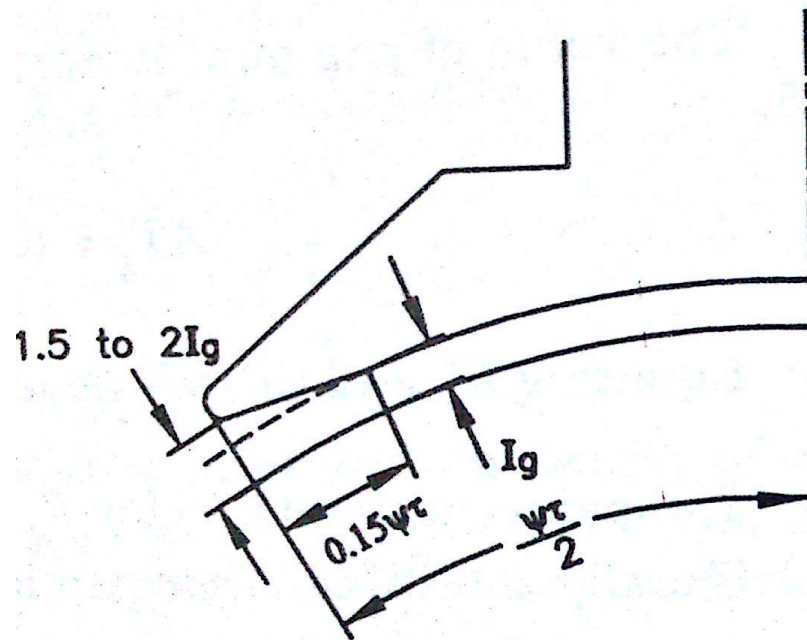


Fig. 9.27. Profile and chamfering of pole face.

Increasing in reluctance of pole tips

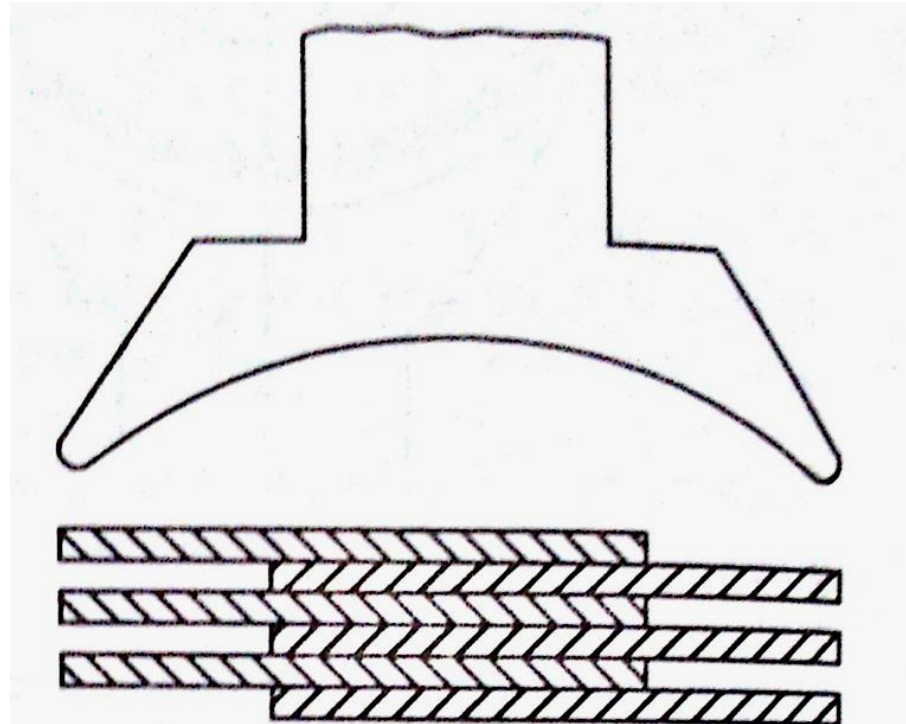
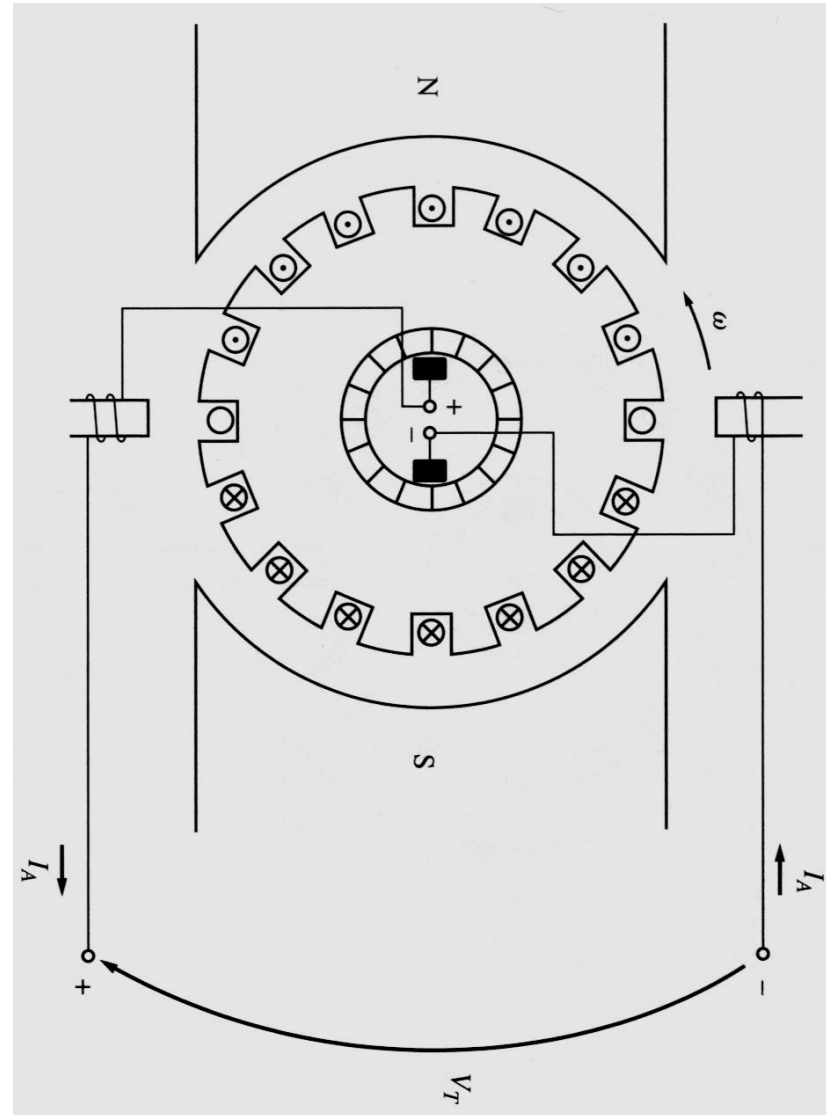
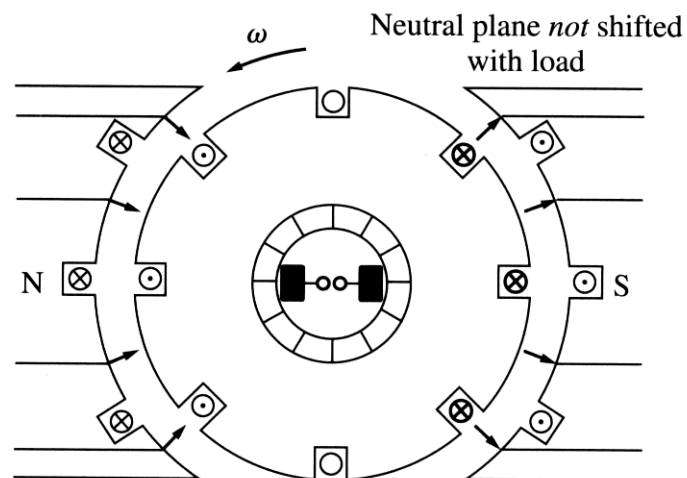
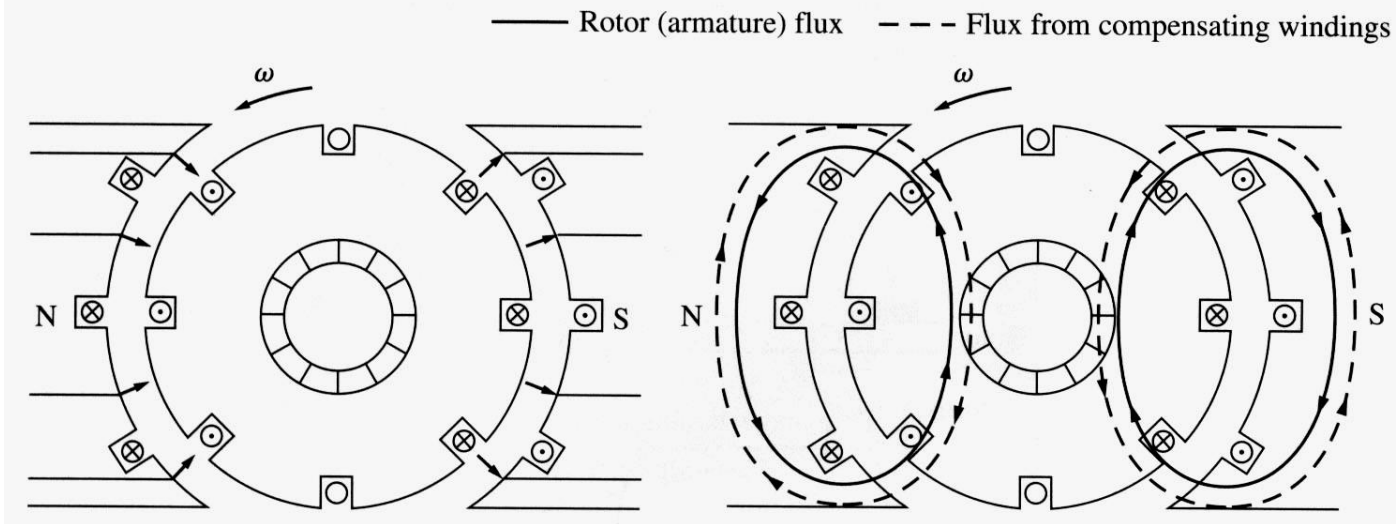


Fig. 9.32. Omission of alternate tips of pole laminations to reduce effect of armature reaction.

Inter Poles



Compensating Windings



Armature Windings

- Single turn coil
- Multi turn coil

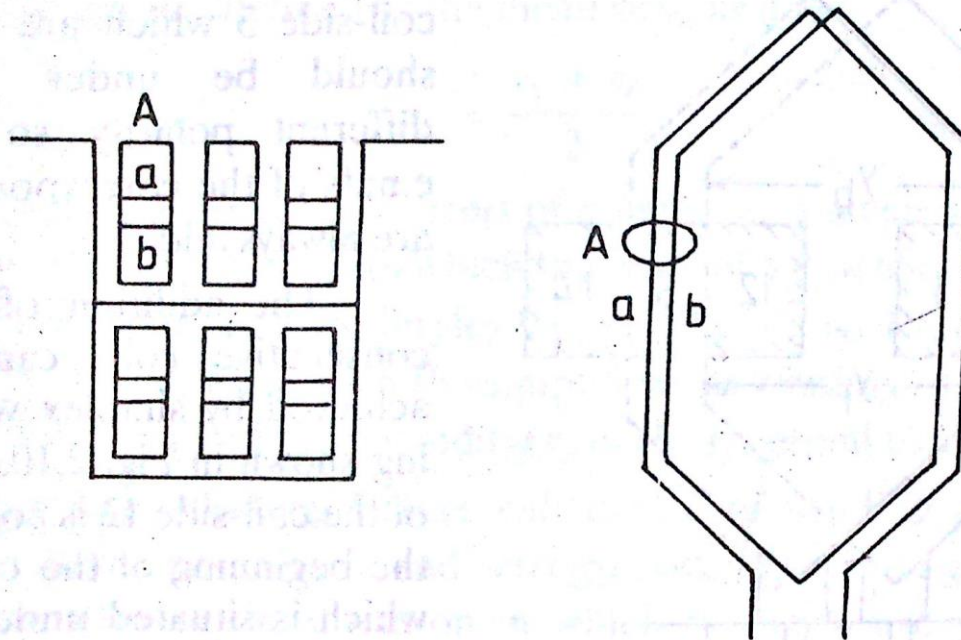
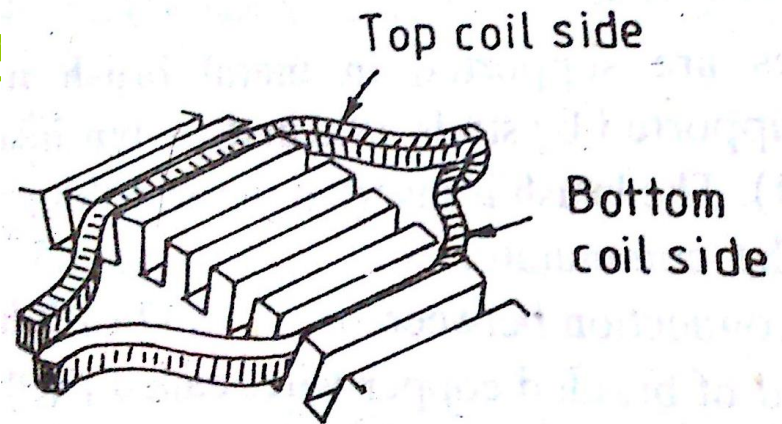


Fig. 2.7. Arrangement of conductors in a slot and a 2 turn coil.

Armature Windings

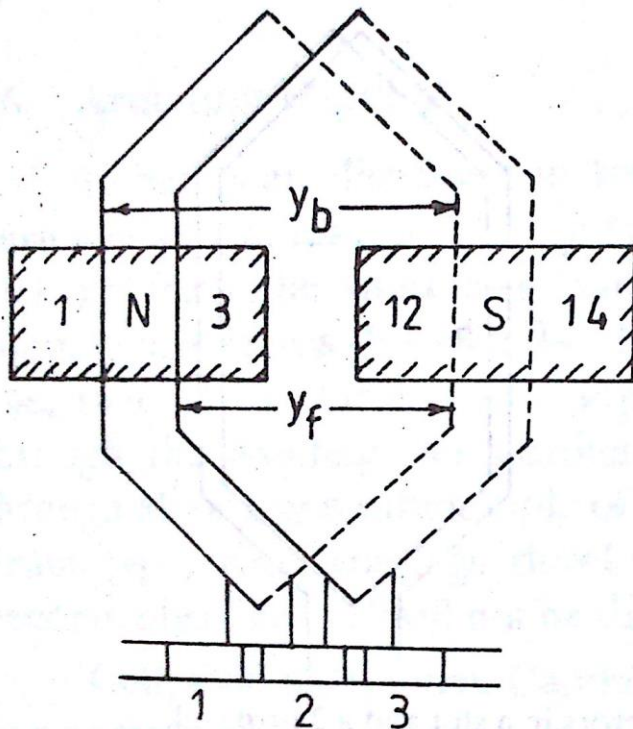


Fig. 2.9. Simplex lap winding.

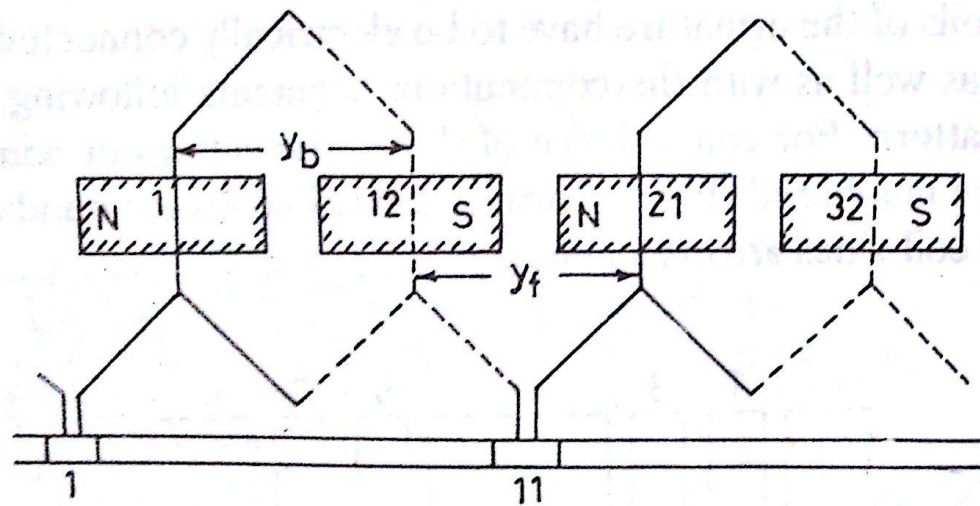


Fig. 2.10. Simplex wave winding.

Armature Windings

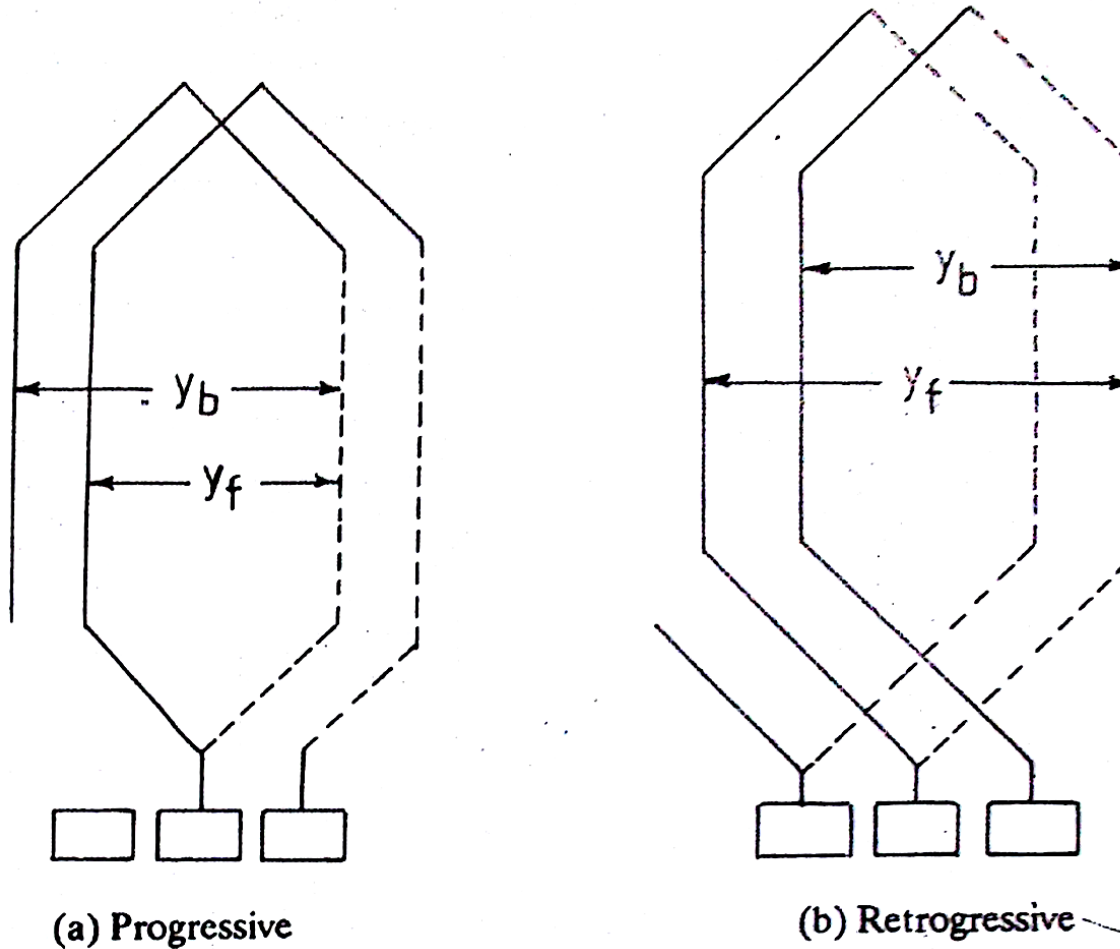


Fig. 2.11. Progressive and retrogressive simplex lap winding.

Armature Windings

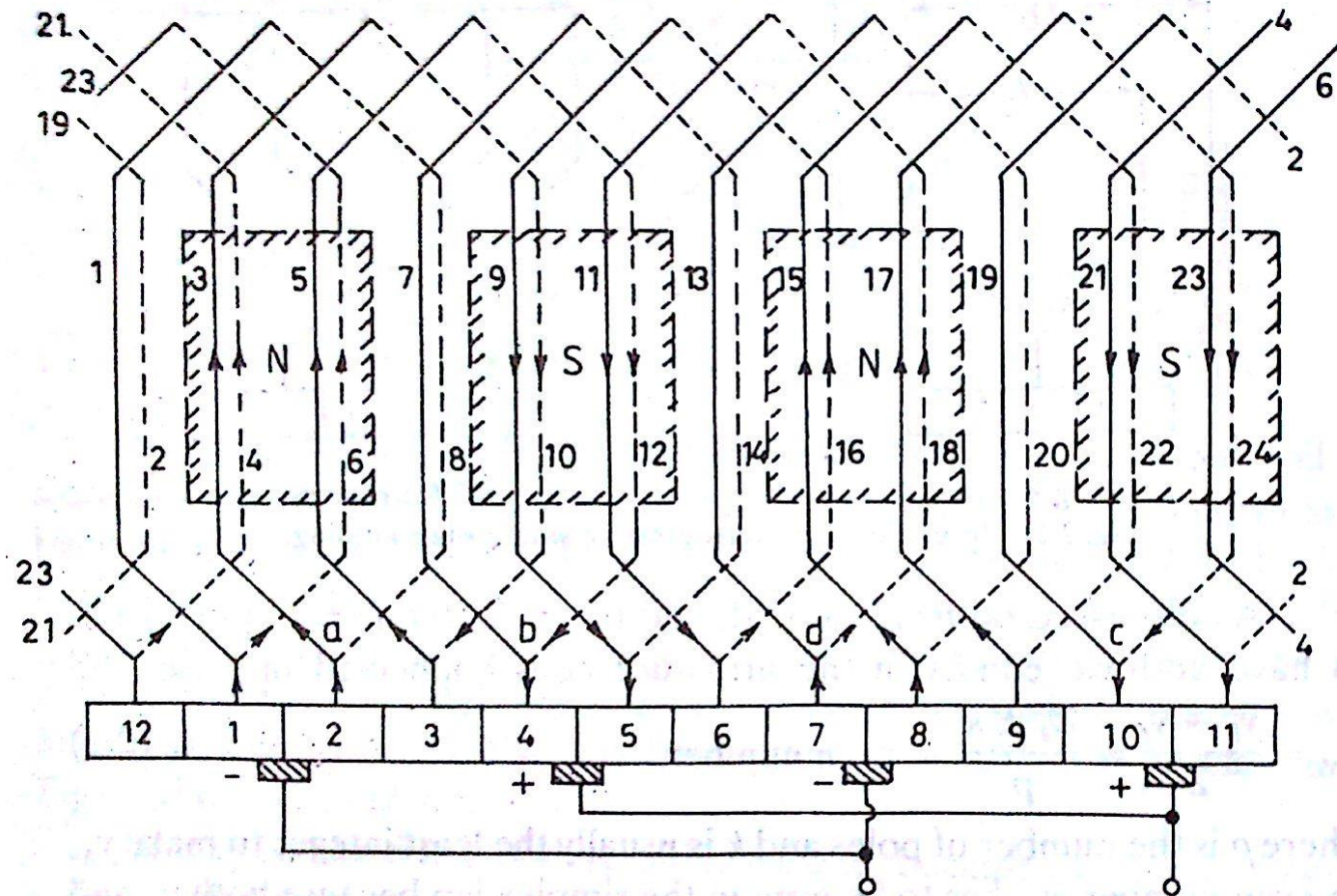


Fig. 2.12. Developed view of 4-pole, 12-coils simplex lap winding.

Armature Windings

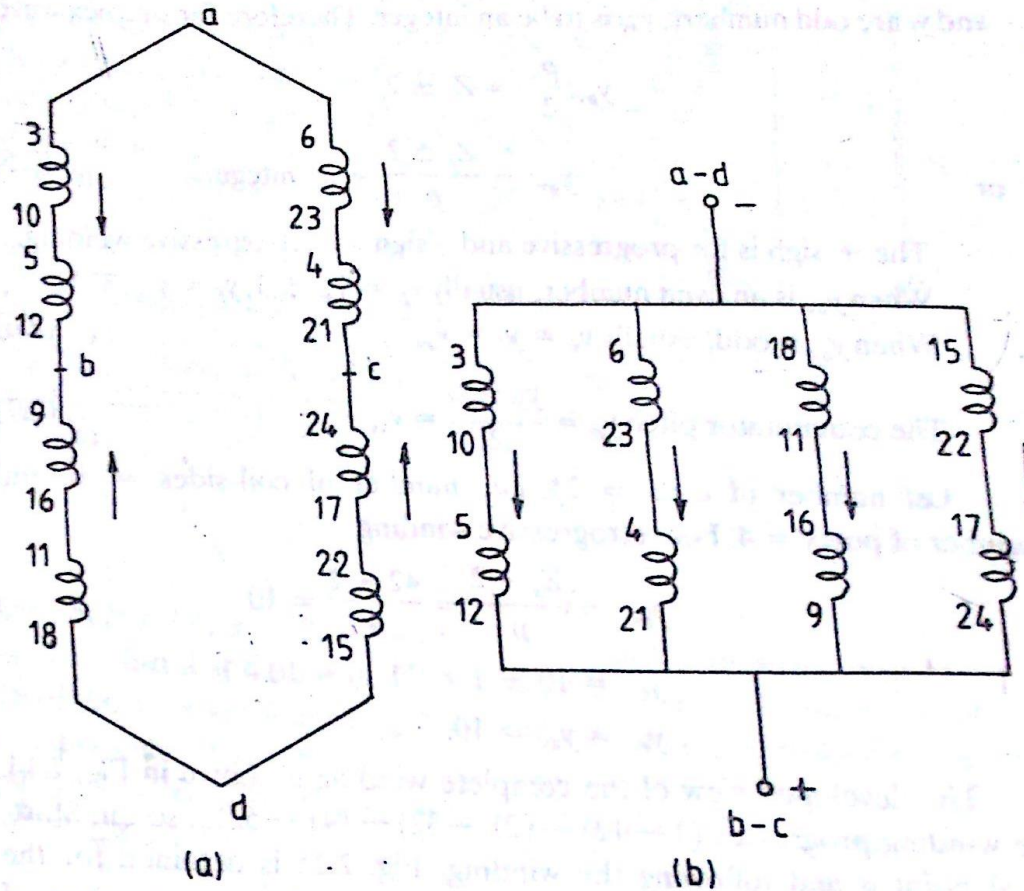
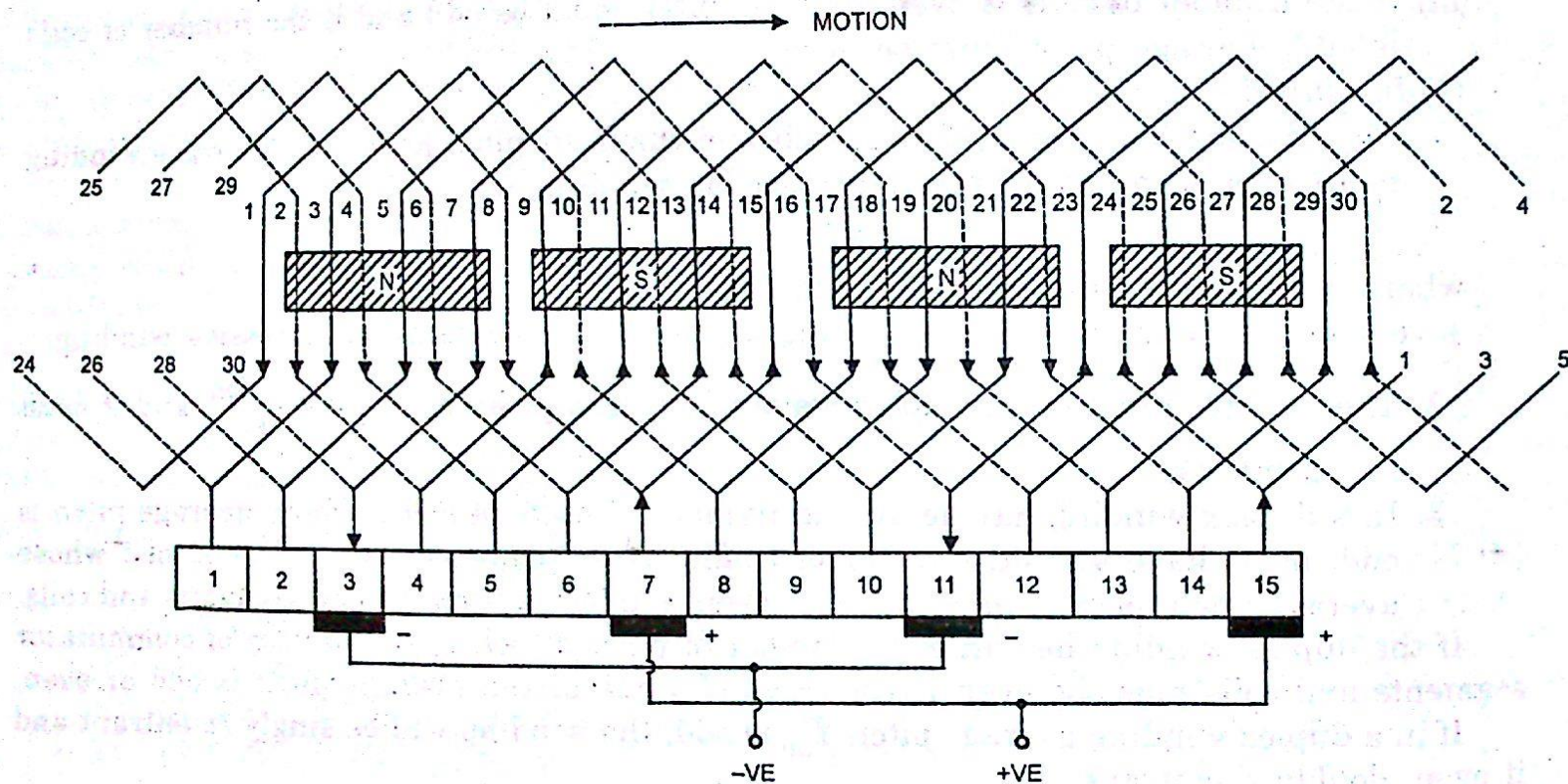


Fig. 2.13. Sequence of induced e.m.fs in conductors and four parallel circuits of the winding of Fig. 2.12.

Armature Windings



Developed View of 4-pole, Double Layer, Simplex Wave Winding With 30 Coil Sides

Fig. 4.30

Lap Winding

$$Y_b \approx \frac{Z}{P}$$

$$Y_b = Y_f \pm 2m$$

$$Y_{av} = \frac{Y_b + Y_f}{2}$$

$$Y_c = m$$

Wave Winding

$$Y_b \approx \frac{Z}{P}$$

$$Y_b = Y_f \pm 2$$

$$Y_{av} = \frac{Y_b + Y_f}{2}$$

$$Y_c = Y_{av}$$

Choice of Armature Winding

Lap Winding	Wave Winding
$A=P$, Less current in each path	$A=2$, Each path carries half current
Low voltage, high current	High voltage, Low current
Equalizer connection required	Equalizer connection not required
Precise placing of brush	Independent

Commutation

Commutation

- Process of converting generated alternating current to externally available direct current.
- Reversal of current in armature coil by means of brush and commutator bars is called *commutation process*.
- Time period during which coil remains short circuited is called *commutation period*.

Good Commutation

- **Current in a coil should be completely reversed**
- **No sparking at brushes**
- **No damage to commutator surface**

Poor Commutation

- **Mechanical Conditions**

- Uneven commutator surface
- Non-uniform brush pressure
- Vibration of brushes in holder

- **Electrical conditions**

- Increase in voltage between two adjacent commutator segments
- Increase in current density at trailing edge of brush
- Armature reaction & Armature leakage flux

Effects of Poor Commutation

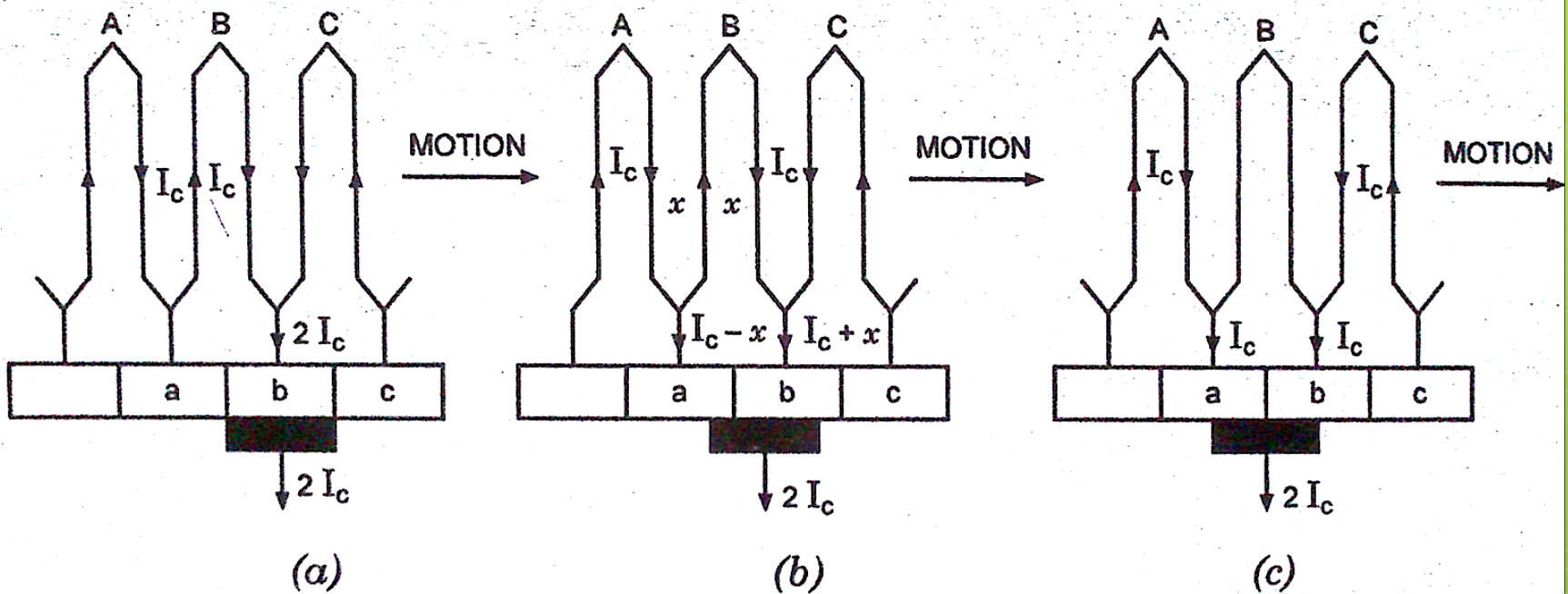
- **Sparking**

- **Overheating at brush-commutator contact**

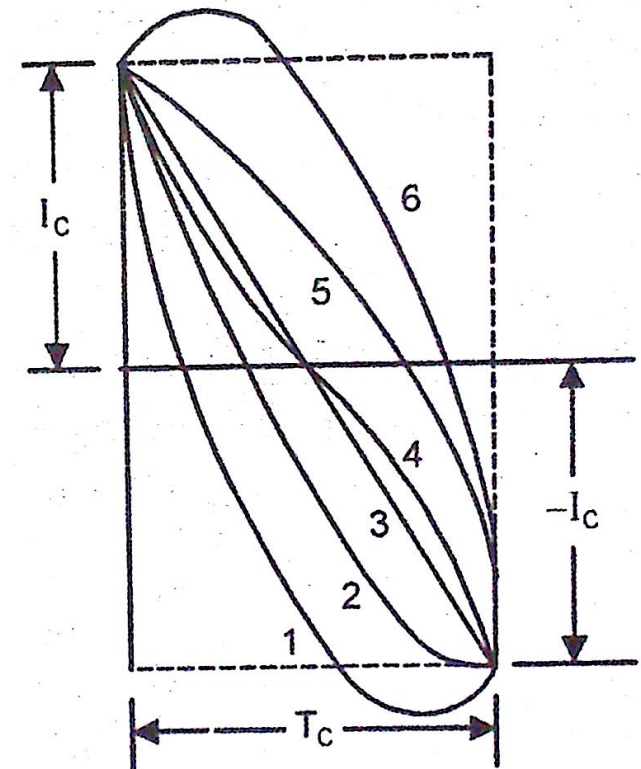
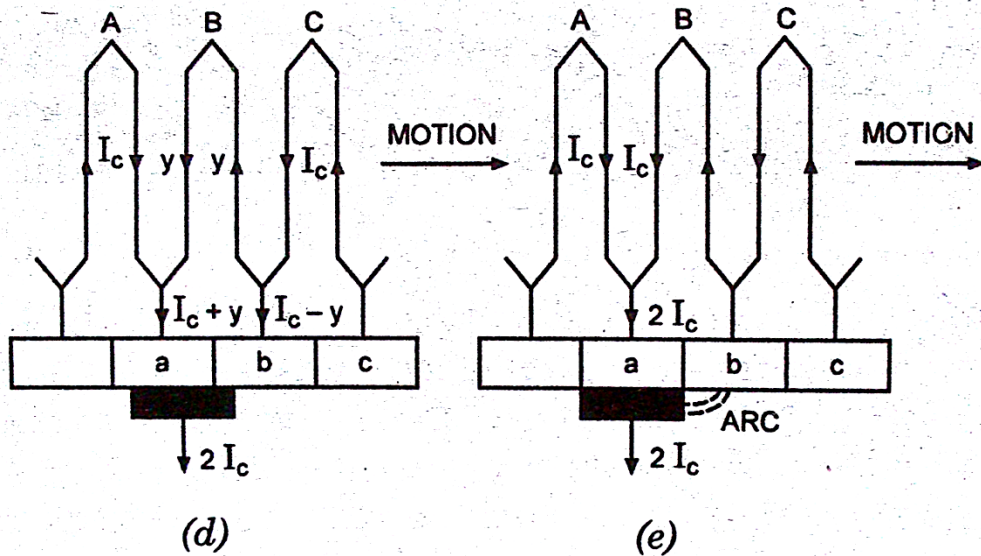
- **Damages to brush & commutator surface**

- **Damage to brush, increase sparking progressively worse**

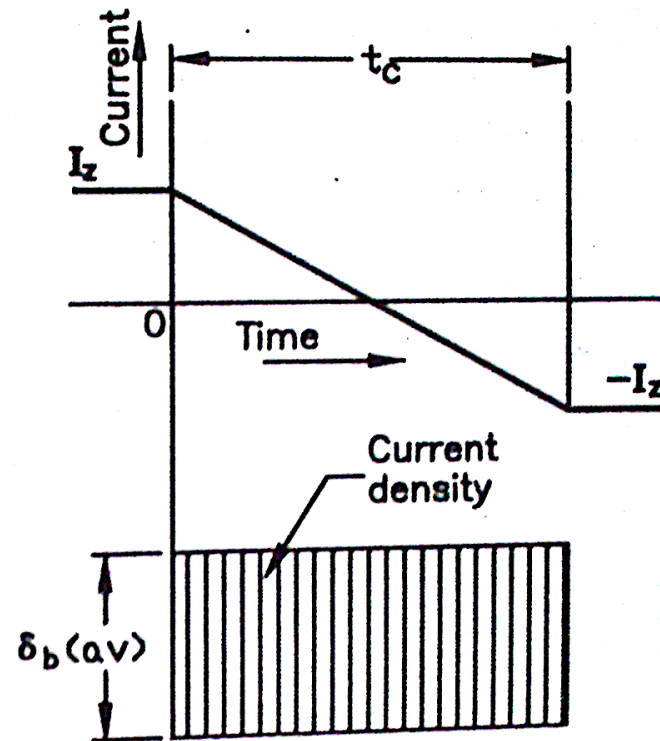
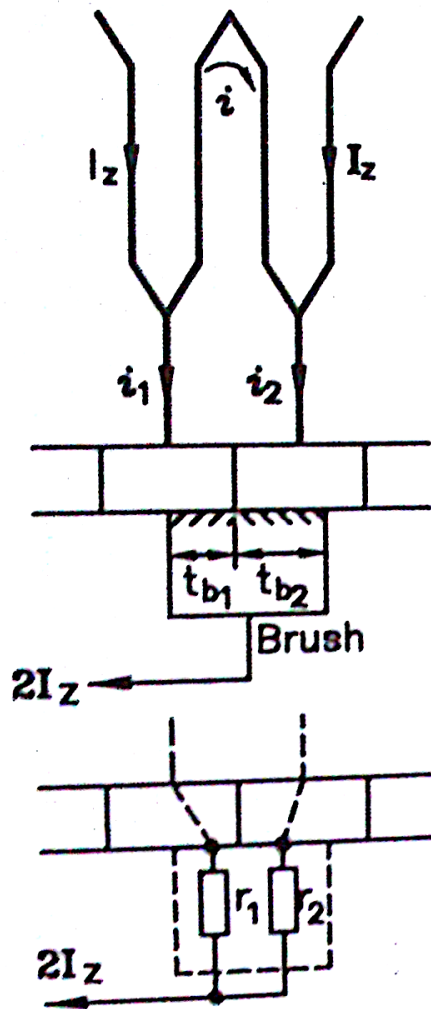
Commutation Process



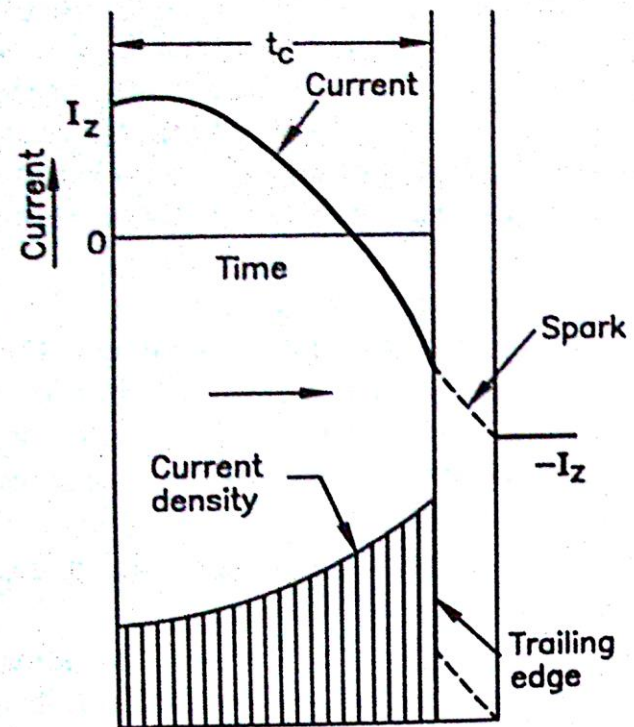
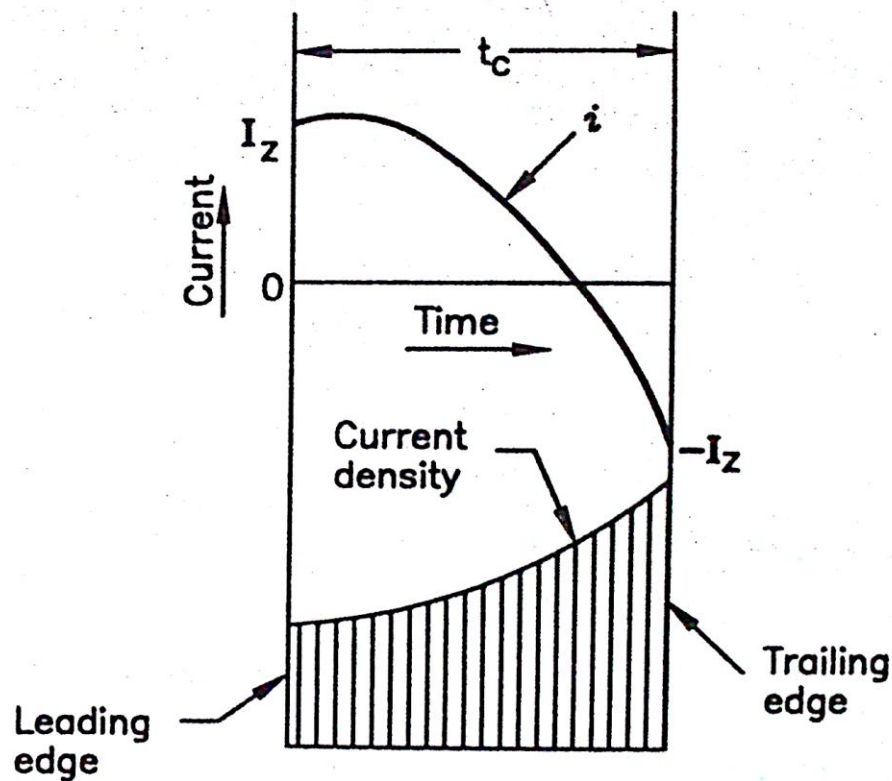
Commutation Process



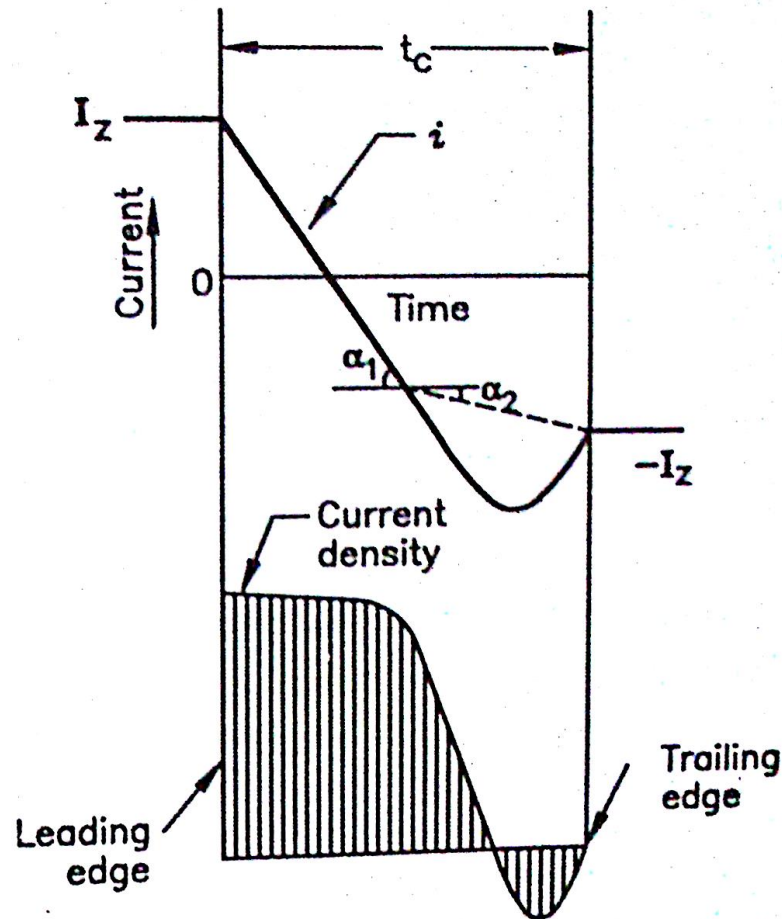
Straight Line Commutation



Retarded Commutation



Accelerated Commutation



Reactance Voltage (Pitchelmayer's Equation)

Inductance of coil = $2T_c^2 L \lambda$

Reactance Voltage

$$E_{rav} = L \frac{di}{dt}$$

$$E_{rav} = 2T_c^2 L \lambda \times \frac{2I_z}{\tau_c}$$

$$\tau_c = t_c = \frac{\beta_c}{V_c} = \frac{\pi D_c}{C} \times \frac{1}{\pi D_c n} = \frac{1}{Cn}$$

Reactance Voltage (Pitchelmayer's Equation)

$$E_{rav} = 2T_c^2 L \lambda \times 2I_z Cn = 2T_c L \lambda I_z Z n$$

$$\therefore 2CT_c = Z$$

$$E_{rav} = 2T_c L \lambda \left(I_z \frac{Z}{\pi D} \right) \pi D n$$

$$E_{rav} = 2T_c L \lambda \text{ ac } V_a$$

Flux Density under Interpole Shoe

B_{ci} = Flux density under interpole shoe

L_{ip} = Length of interpole

E_{gi} = Voltage generated in a coil by
interpole field

T_c = No. of coil turns

λ = Specific permeaance

Flux Density under Interpole Shoe

B_{ci} = Flux density under interpole shoe

$E_{gi} = 2 \times T_c \times$ Voltage generated in each cond.

$$E_{gi} = 2T_c B_{gi} L_{pi} V_a$$

$$E_{rav} = \frac{4T_c \lambda L I_z Z_s}{T_c}$$

$$\frac{4T_c \lambda L I_z Z_s}{T_c} = 2T_c B_{gi} L_{pi} V_a$$

$$B_{gi} = 2I_z Z_s \frac{L}{L_{ip}} \frac{1}{V_a T_c} \lambda$$

Design of Interpole Winding

l_{gi} = Length of airgap under interpole shoe

K_{gi} = Interpole gap contraction factor

$$AT_a = \frac{I_z Z}{2p}$$

MMF required to establish $B_{gi} = 800000 B_{gi} K_{gi} l_{gi}$

MMF required to overcome armature reaction = $\frac{I_z Z}{2p}$

$$\text{Interpole MMF } AT_i = 800000 B_{gi} K_{gi} l_{gi} + \frac{I_z Z}{2p}$$

$$\text{No. of Interpole Turns} = \frac{AT_i}{I_a}$$



Thank You